# جزوه طراحى سازه هاى فولادى (LRFD به روش 

-آموزش مطالب و مفاهيم طراحى -rar rer اساس مقررات ملى ساختمان -به همراه جداول بروفيل هاى ساختمانى اشتال

امير حسين كروسى



1) 1.4 OL
r) $1.2 \mathrm{OL}+1.6 u+0.5\left(L_{r} \underline{b} 5\right)$
r) $1.2 \mathrm{DL}+1.6(L, \underline{s})+U$
F) $1.20 L+L L+0.5\left(L_{r} \leq s\right) \pm 1.4 \mathrm{w}$
d) $1.2 \mathrm{OL}+U+0.5\left(L_{r} \underline{6}\right) \pm 1.4 \mathrm{wy}$
2) $1.20 L+u+0.2 s \pm E Q_{n} \pm 0.3 E Q_{y}$
v) $1.20 L+u+0.2 \mathrm{~s} \pm E Q_{y} \pm 0.3 E Q_{x}$
A) $0.9 \mathrm{OL} \pm 1.4 \mathrm{~kg}$
3) $0.9 \mathrm{DL} \pm 1.4 \mathrm{Wy}$

$$
\text { 1.) } 0.90 L \pm E Q_{x} \pm 0.3 E Q_{y}
$$

i1) $0.9 \mathrm{Dl} \pm E Q_{y} \pm 0.3 E Q_{x}$

DL:
IL: siji,!
W: >!,
EQ: $\quad j_{j}$, t
S:
4: plami,

4 of 38

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: IPE 200 بمْ.
$h=r . \mathrm{cm}, b .1 . \mathrm{cm}, t_{w}=., 0 r_{\mathrm{cm}}, t_{f}=.1 \Delta \mathrm{~cm}, h . r_{c}=10,9 \mathrm{~cm}$ $A=r_{A, \Delta} \mathrm{~cm}^{r}, I_{x}=19 \% . \mathrm{cm}^{*}, I_{y}, 1 / 4 \mathrm{~cm}^{*}$,
 A. $\mathrm{Fs}, 9 \mathrm{~cm}^{r}, I_{y}=\Delta v q . \mathrm{cm}^{*}, I_{x}=\mathrm{kr} \mathrm{cm}^{*}$,
:(A) chich (1
$A=V_{1, D}+H_{0,9}=V F, r \mathrm{~cm}^{r}$

$\overline{y_{e}}=\frac{\sum A_{i} \bar{y}_{i}}{\Sigma A_{i}}=\frac{\left(r \Lambda_{1} \Delta \times 1 .\right)+\left(r \Delta, 9 \times Y_{0}, r r\right)}{V t, r}=14, r v_{c m} \mathrm{~cm}$ vinglispochen: A:
 ( $1 \bar{y}_{p}$ ) (

$$
\begin{aligned}
& A_{\text {Lop }}=A_{\text {bot }}=\frac{V_{t, r}}{r}=r v, r \in \mathrm{~cm}^{r}
\end{aligned}
$$

$$
\begin{aligned}
& \left.\left.\left(i r, s-\left(4, v_{0}+r r\right)\right)\right)\right)=r v, r \\
& \Rightarrow \bar{y}_{P}=19, v f \mathrm{~cm}
\end{aligned}
$$

$$
\begin{aligned}
& I_{x}=\sum I_{x}^{\prime}+\sum A_{y}{ }^{r} \\
& \Rightarrow I_{n}=\left(194 .+r p_{1} \Delta \times(r, r r-14, r r)^{r}\right)+\left(r r_{.}+r \Delta, 9 \times(14, r r-1 .)^{r}\right) \\
& \Rightarrow I_{x}=Y Y N Y, 9 Y_{\Delta S}+Y Y_{N r_{1} * V A V I}=8444, N 1 \mathrm{~cm}^{*} \\
& I_{y}=\Sigma I_{y}^{\prime}+A x^{r} \\
& \Rightarrow I_{y}=(1 \mathrm{rr}+\cdot)+(\Delta v q .+\cdot)=\Delta 9 r r \mathrm{~cm}^{*}
\end{aligned}
$$

$$
\begin{aligned}
& z=\tau A_{i} \bar{y}_{i}
\end{aligned}
$$

$$
\begin{aligned}
& \text { 位 }
\end{aligned}
$$

$$
\begin{aligned}
& \Rightarrow Z=\mu 49,4 \Delta \mathrm{~cm}^{*}
\end{aligned}
$$

$$
\begin{aligned}
& r_{x}=\sqrt{\frac{I_{n}}{A}}=\sqrt{\frac{r 449,+1}{V E, r}}=V, 9 Y \mathrm{~cm} \\
& r_{y}=\sqrt{\frac{I_{y}}{A}}=\sqrt{\frac{v 9 r_{Y}}{v_{f, r}}}=1,9 r \mathrm{~cm} \\
& J=\sum_{i=1}^{n} \frac{1}{r} b t^{*}
\end{aligned}
$$

$$
\begin{aligned}
& \Rightarrow J=\frac{1}{r}\left[b_{1} t_{1}^{r}+b_{r} t_{r}^{r}+b_{r} t_{r}^{r}+b_{r} t_{*}^{r}+b_{\Delta} t_{\Delta}^{r}+b_{r} t_{\varphi}^{r}\right]
\end{aligned}
$$

$$
\begin{aligned}
& \Rightarrow 5 .|V, I| \mathrm{cm}^{*} \\
& \text { ( ) 1 (J) } \\
& \text { ぐん! }
\end{aligned}
$$




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|  |  |  |  |  | S2t9 | 2S2 | 0025 | 000tLI | てT2 | $0<2$ | 98 F | 65 | 42 | OE | OOE | 009 | 009 |
| 4.608 | I6Et | 906 | 206 | OLSEI | St19 | \％et |  | 00／9Et |  | －5t | 8\％ | 95 | 12 | 62 | OOE | OSS | 055 |
| 1t8 | tht | 412 | 228 | 090¢t | T655 | \％Et | 046 | 0029Et | 661 | 652 | O6E | 55 | 42 | 82 | OOE | 005 | $005]$ |
| P978 | 2625 | 426 | 2ts | 0292 T | $\frac{5185}{7955}$ | $\frac{212}{165}$ | OSZ 0 | 002L0t | $\frac{281}{12 T}$ |  | HTE | ES | 42 | 92 | OOE | 05\％ | 05\％ |
| 618 | PSt | ff 2 | 182 | 02RTt | 296E | T6T | OSSE | 06862 | 121 | 812 | 862 | 15 | 12 | －2 | 008 | OOF | $00 \mathrm{~F}]$ |
| $\mathrm{EC2}$ | SOET | $\pm 2$ | 124 | 02801 | CEZE | ILL | 0882 | 08925 | 551 | $\frac{865}{19 t}$ | 862 | $\frac{15}{56 \%}$ | 12 | 522 | OOE | 09E | 098 |
| 428 | 2¢0t | 602 | 969 | Ortot | f892 | SSt | 00ャz | 06TEt | でT | 18T | 192 | $\frac{567}{506}$ | 12 | $\frac{527}{517}$ | 00E | 0\％E |  |
| $528$ | 385 | E52 | －999 | 0695 | 8002 | 9＇pi | 0912 | 09995 | HET | TCI | Ets | S＇8t | 42 | $\frac{512}{507}$ | OOE | OTE |  |
| 468 | $6 ¢ 5$ | 154 | 919 | 0126 | 6712 | 8 EL | 0665 | O2806 | L2T | 191 | 522 | $52 \%$ | 12 | 502 | OOE | ORE | ORE |
| 288 | 018 | 852 | 125 | 0958 | 6985 | हt | 0997 | 0．tsर | LIT | 6＊5 | 902 | 9 p | 12 | 67 | OOE | $00 \%$ | $00 \mathrm{E}]$ |
| 94 | 812 | 602 | ILV | 0659 | MESt | I＇2I | OPET | 0c26t | f0t | I¢T | 961 | 2 V | －2 | 8 BT | 082 | 082 | 082 |
| F221 | 208 | 859 | 56 E | OET5 | E82I | 2II | 0SIt | O26 + t | $E 6$ | 8tt | L2I | Stt | 72 | $5 \angle T$ | 092 | 092 | 092 |
| 999 | 86 | 809 | L2E | 026E | ¢50t | E0t | $8 ¢ 6$ | 09271 | 2¢8 | 901 | ＊91 | 8 E | t2 | 4 | $0 \times 2$ | 0＊2 | Oe\％ |
| 19 | $\pm 65$ | 655 | 852 | Ots | 228 | Ev＇6 | 912 | 0608 | $5 \cdot$ | 16 | ZST | HE | 8 L | 97 | OZ2 | 022 | 022 |
| 555 | 905 | 205 | 002 | 0002 | 6.9 | 158 | 065 | 0065 | E＇19 | 1\％ | MET | EE | 85 | 51 | 002 | 002 | 002 |
| 65 | IE2 | 45\％ | ISt | 0951 | T82 | $99 \%$ | 925 | OCPE | \％＇5 | E59 | 22I | 62 | SI | － | OST | $08 t$ | 081 |
| $\cdots$ | OCI | $50 \%$ | tIt | 688 | WE | 849 | TIE | 06 p 2 | 920 | Ets | N0t | 82 | 51 | Et | 091 | 091 | 095 |
| F6\％ | 02 I | 85 E | $5 \%$ | 055 | Sis | c6． | 912 | 0t5T | CEE | E | 26 | －2 | 21 | 21 | Oti | 0 OL | $0+\mathrm{T}$ |
| $\stackrel{\text { ¢f }}{ }$ | 18 | 90 E | 625 | 815 | 591 | 105 | p1 | 198 | 492 | \％ | 7 | ¢ 2 | \％t | tt | O2t | 02 t | $02 \%$ |
| 842 | －15 | ESt | 5 ff | 697 | ＊01 | $91 \%$ | 668 | OS\％ | $70{ }^{*}$ | 92 | 95 | 22 | 27 | 01 | 00T | 001 | 00 T |
| $\omega_{2}$ | $\frac{m}{2}$ | [45 | $4$ | $4$ | $\frac{\text { W5 }}{2}$ | $\begin{gathered} \text { W5 } \\ 4 \end{gathered}$ | ${ }_{5}^{45}$ | W | $w / t y$ <br> D | $x^{w 5}$ | แบย $x q-4$ | $\begin{gathered} \text { שus } \\ 2 \end{gathered}$ | $\underset{\Delta}{4}$ | $\begin{gathered} \text { wey } \\ 4 \end{gathered}$ | แบบ 9 | $\begin{gathered} \text { แu } \\ 4 \end{gathered}$ | 30． |


|  |  | C | fl 65 | 56019 | 46 | 00 |
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| ¢9 66vz | 29.2991 | 00 FIE | E9 \％8E | 6 F 68t | $8<5602102$ | O2E |
|  |  |  |  |  |  |  |
| $0996 t z$ | OT＇295t | 60.662 | －2 09\％ | 26851 | 066060 tt | 082 |
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| \＄6＇troz | 2988pt | 0275z | $26.80 \%$ | 10098 | OX FFECB7 | 002 |
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| 0261／t | 662 tet | 06012 | 19\％ 152 | 05＇6\％ | 00 ร2TTくた | 00 |
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|  | vでく5It | $66^{\prime 2} 91$ | $8 C^{\prime} 502$ | 10652 | $009208 \%$ | 091 |
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| 19\％060t | 50766 | ¢6．921 | $8 \mathrm{VF}^{\prime} 551$ | $59.1 t$ | OV 50＊6 | 021 |
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T \leftarrow \square \rightarrow T
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T \leftarrow \square \rightarrow T
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\frac{r_{r}}{r^{2}}+0 \rightarrow T
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$$
\frac{r}{r}+00+T
$$


$\xrightarrow{\text { Q }} A_{g}=b t$
: هm
 (Ag)

( $A_{n}$ )

$$
A_{n}=A_{g}-\sum_{i=1}^{n} d_{i} t_{i}
$$




$$
A_{n}=A_{g}-\sum d_{i} t_{i}+\sum \frac{s^{r}}{i g} t
$$



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$$
\begin{aligned}
& V=1-\frac{\bar{\pi}}{L}
\end{aligned}
$$

$$
\begin{aligned}
& \text {, } \\
& V=\max \left(1-\frac{\bar{x}}{L}, v^{*}\right) \\
& \text { ( } \mu
\end{aligned}
$$

منريب




$$
v_{=, 1}^{*}
$$





$$
\begin{aligned}
& v^{*} \cdot, 4 \\
& V^{*}=., 4
\end{aligned}
$$



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$$
A_{e}=\min \left\{A_{n},, \Lambda_{\Delta} A_{g}\right\}
$$

(Ag
(dhe, ) ( $A_{n}$
:00




$$
\left.\begin{array}{l}
T_{u_{p}} \leqslant \phi_{t} T_{n} \\
T_{n}=F_{u} A_{n} \\
\phi_{t}=, v_{\Delta}
\end{array}\right\} \Rightarrow T_{u_{p}} \leqslant, v_{\infty} F_{u} A_{n}
$$

$$
T_{u}=\min \left(T_{u_{1}}, T_{u_{r}}\right)
$$

$\left.\begin{array}{l}T_{u_{1}} \leqslant \phi_{t} T_{n} \\ T_{n}=F_{y} A_{g} \\ \phi_{t}=., 9\end{array}\right\} \Rightarrow T_{u_{1}} \leqslant .9 F_{y} A_{g}$
:



$$
\left.\begin{array}{l}
T_{u_{r}} \leqslant \phi_{t} T_{n} \\
T_{n}=F_{u} A_{e} \\
\phi_{t}:, V_{s}
\end{array}\right\} \Rightarrow T_{u_{r}} \leqslant, V_{\infty} F_{u} A_{e} \quad, A_{e}=V \cdot A_{n}
$$



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$$
\left.\begin{array}{l}
T_{u_{r}} \leqslant \phi_{t} T_{n} \\
T_{n}=F_{u} A_{e} \\
\phi_{t}=, v_{\Delta}
\end{array}\right\} \Rightarrow T_{u_{r}} \leqslant, v_{\Delta} F_{u} A_{e} \quad, A_{e}=\min \left\{A_{n},,, \Lambda_{\Delta} A_{g}\right\}
$$


$\frac{L}{r_{\text {min }}}<r_{\text {.. }}$
: كنرّ
6
(7)
,

$$
A, \frac{r_{i}^{\prime}}{k}
$$

gavici



$$
P_{c r}=\frac{r^{r} E L}{L_{e}^{r}} \quad, \quad L_{e}=k L
$$




: منريب مزل








خَّه : شُرابِ




( $k \geqslant 1$ ) : ب) منرس ع

$$
\begin{aligned}
& \text { بالسناه } \\
& k=\sqrt{\frac{1,4 G_{A} G_{B}+H\left(G_{A}+G_{B}\right)+V, D}{G_{A}+G_{B}+V_{, \Delta}}}
\end{aligned}
$$


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(r r r r




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\frac{\text { gatuasi }}{2}
$$



$$
\lambda=\frac{\mathrm{kl}}{\mathrm{r}}
$$

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lick
تزكر : ; ;





$$
\begin{aligned}
& \left.P_{u} \leqslant \phi_{c} P_{n}\right\} \quad: \dot{c}_{0}, \dot{l}_{0}-d, 1, b_{\mu}:\left(1-r \_r-1 .\right) \dot{\mu}_{\mu} . \\
& \left.P_{n}=F_{c r} A_{g}\right\} \Rightarrow P_{u} \leqslant \phi_{c} F_{c r} A_{g}, \phi_{c}=.9 \\
& \lambda=\left(\frac{k L}{r}\right)_{\text {max }}\langle r ., \quad \rightarrow \quad: \quad: \quad: \quad \text {, }
\end{aligned}
$$

جرإِك فبّ

$$
\begin{aligned}
& \text {. } \\
& I_{x}^{\prime}=I_{y}^{\prime} \Rightarrow r I_{x}=r\left(I_{y}+A\left(\frac{a^{r}}{r}\right)\right) \\
& A^{\prime}=r A, r_{m}^{\prime}=\sqrt{\frac{J_{m}^{\prime}}{A^{\prime}}} \quad, \quad r_{y}^{\prime}=\sqrt{\frac{J_{y}^{\prime}}{A^{\prime}}}
\end{aligned}
$$







| منالرهاى نعونك |  ب |  | 'erer | هاله |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| $\underbrace{\frac{b}{b}} \underbrace{b}_{n}$ | $\cdot / \Delta s \sqrt{\frac{h}{f_{y}}}$ | b/t | براى f <br>  سـا完 4 <br>  5m | 1 |
|  | $\cdot / 54 \sqrt{\frac{\pi}{5}}$ | h/t |  <br> ب <br> مـرما <br>  <br> 3) | T |
|  | $\cdot /+0 \sqrt{\frac{K}{\rho_{y}}}$ | b/t | 人 - <br>  تغوت نـ* | $r$ |
| Fid | $\cdot / \mathrm{vo} \sqrt{\frac{E}{r}}$ | d/t | (4) مالطلع سرى | 1 |
| $\left.-t_{0}\right] r+6 n$ | $1 / \uparrow 4 \sqrt{\frac{E}{F}}$ | W/w |  <br>  <br> ded | 0 |
|  | $1 / 7 \cdot \sqrt{\frac{E}{r}}$ | h/t |  , dISS) مسا <br>  | * |


| $b$ |  | 1/【 | $\frac{\kappa_{d}}{3} \\| /$ |  |
| :---: | :---: | :---: | :---: | :---: |
| V | 7n | $1 / 9$ | $\frac{k_{3}}{3} \int b t / 1$ | $\cdot q^{2-1}$ |
| $\wedge$ |  <br> Tror <br>  | $1 / 9$ | $\frac{k_{f}}{3} \int \cdot t / 1$ | $1 \frac{1}{-q^{-1}}$ |
|  |  |  |  |  |
| Tr | -2, | minn |  | - |





$$
\left(\frac{k L}{r}\right)_{0}=\left(\frac{k L}{r}\right)_{y}
$$

ai

$$
\frac{k_{a}}{r_{i}} \leqslant \frac{r}{k} \max \left\{\lambda_{x}, \lambda_{y_{m}}\right\} \rightarrow a=? \rightarrow \sin i
$$



解 : $F_{a}$ 有
gadasi

$$
\begin{align*}
& \lambda_{\text {max }}=\left(\frac{k L}{r}\right)_{\text {max }} \leqslant F_{1}, r 1 \sqrt{\frac{E}{f_{y}}} \Rightarrow F_{c r}=\left[\cdot, \mu_{\Delta \Lambda} \frac{f_{y}}{F_{e}}\right]=\frac{E_{y}}{f_{y}} \\
& \lambda_{\text {max }}=\left(\frac{k l}{r}\right)_{\text {max }}>A_{i} V_{1} \sqrt{\frac{E}{f_{y}}} \Rightarrow F_{c r}=, A W F_{e}
\end{align*}
$$

$$
\begin{aligned}
& P_{n}=F_{c r} A_{g} \quad\left(A_{p} \sigma\right. \\
& \phi_{c}=. i \text {, } P_{u} \leqslant \phi_{c} P_{n} \text { (pF }
\end{aligned}
$$

جدول - 1-F-Y-1 حالت يا حالتهاى حدى حاكم بر طراحى اعضاى فشـارى براى مثاطع مختلف بيون اجزاي لاغر

:

$$
\begin{aligned}
& F_{e}=\frac{\pi^{r} E}{\left(\frac{k L}{r}\right)^{r}} \\
& F_{e}=\left[\frac{\pi^{r} E c_{n}}{\left(k_{2} l\right)^{r}}+G_{J}\right]\left(\frac{1}{I_{n}+I_{y}}\right)
\end{aligned}
$$

قالنَ

$$
\begin{aligned}
& \text { ( }
\end{aligned}
$$

$$
\begin{aligned}
& I_{y}=\frac{t_{f} \times b^{r}}{1 r} \\
& I_{x}=\frac{t_{w} \times h_{n}^{r}}{\mathbb{r}}
\end{aligned}
$$


$I_{n}, I_{y}:$ :




$$
F_{e}=\left(\frac{F_{e y}+F_{e z}}{r H}\right)\left[1-\sqrt{1-\frac{* F_{e y} F_{e z} H}{\left(F_{e y}+F_{e z}\right)^{r}}}\right]
$$



$$
\left(F_{e}-F_{e x}\right)\left(F_{e}-F_{e y}\right)\left(F_{e}-F_{e z}\right)-F_{e}^{r}\left(F_{c}-F_{e y}\right)\left(\frac{x_{0}}{\bar{r}_{1}}\right)^{r}-F_{e}^{r}\left(F_{e}-F_{e x}\right)\left(\frac{y}{F_{1}}\right)^{r}=.
$$



$$
\begin{aligned}
& \bar{r}_{-}^{r}=x_{-}^{r}+y_{-}^{r}+\frac{I_{x}+I_{y}}{A_{g}}
\end{aligned}
$$

$$
\begin{aligned}
& \text {. } \\
& \text {. }
\end{aligned}
$$

$$
\begin{aligned}
& \text { 我我 } \Rightarrow y_{1}=
\end{aligned}
$$

$$
\begin{aligned}
& H=1-\frac{\ddot{x}^{r}+y^{r}}{\vec{r}_{r}^{r}} \\
& F_{\text {ex }}=\frac{\pi^{r} E^{-}}{\left(\frac{k_{x} L}{r_{x}}\right)^{\gamma}} \\
& F_{\text {ey }} \cdot \frac{\pi^{r} t}{\left(\frac{k_{y} t}{r_{y}}\right)^{r}} \\
& F_{c z}=\left[\frac{r^{r} E c_{r}}{\left(k_{2} l\right)^{r}}+G J\right] \frac{1}{A_{g} \bar{r}_{r}^{r}}
\end{aligned}
$$






$$
\left(\frac{k l}{r}\right)_{m}, \sqrt{\left(\frac{k l}{r}\right)^{r}+\left(\frac{a}{r}\right)^{r}}
$$

كَ - بـرا,

$$
\lambda \leqslant \pi, n \cdot \sqrt{\frac{E}{f_{y}}} \Rightarrow F_{c} \cdot\left[\cdot y_{\infty x}{ }^{\frac{f_{1}}{F_{c}}}\right]_{f_{y}}
$$

$$
\lambda>F_{1}, v_{1} \sqrt{\frac{E}{F_{y}}} \Rightarrow F_{c}=\cdots A v \vee F_{e}
$$



$$
F_{c r_{2}}=\frac{\theta J}{A_{g} \vec{r}_{r}^{\prime}}
$$


garatis


$$
c_{w}=I_{y} \frac{d^{r}}{r}
$$

stic.

$y .=\frac{d^{r}}{7} \cdot \frac{e}{r_{y}^{r}}+e$

$$
c_{w}=\frac{d^{r}}{r}\left(I_{n}-y . e A+r A e^{r}\right)
$$



$$
c_{n}=I y_{1} \frac{d_{1}^{r}}{r}+I y_{r}^{Q} \frac{d_{r}^{r}}{r}
$$


y. $\frac{e_{1} I_{y}^{\infty}-e_{r} I_{y}^{0}}{d^{r} I_{y} y_{0}^{3}}$

:


$$
c_{n}=\left(\frac{t b^{r}}{r r}\right) \times\left(\frac{d^{r}}{p}\right)
$$


y. $\frac{t_{n} \cdot d^{r}}{A} \times \frac{1}{r}$

$$
c_{n}=\frac{\left(d \cdot t_{n}\right)^{r}}{r Y}+\frac{\left(b \cdot t_{f}\right)^{r}}{1 f r}
$$





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$$
c_{b}=\frac{\pi r, \Delta \mu_{\max }}{r, \Delta \mu_{\max }+r \mu_{A}+r \mu_{B}+r \mu_{c}}
$$


 $\therefore$ -





$$
R_{m}=\cdot \phi+r\left(\frac{I_{y_{n i n}}}{I y}\right)^{r}
$$



$$
\begin{aligned}
& r_{t s}=\sqrt{\frac{\sqrt{S y c_{w}}}{S_{x}}} \\
& r_{t s}=\sqrt{\frac{I_{y h}}{r s_{x}}} \\
& r_{t s}=\frac{b_{s}}{\left.\sqrt{r\left(1+\frac{h t_{m}}{r b_{f} t_{p}}\right.}\right)}
\end{aligned}
$$





$$
r_{t}=\frac{b_{f_{c}}}{\sqrt{\left.\sqrt{r\left(\frac{h_{c}}{c}\right.}+\frac{1}{4} a_{w} \frac{h^{r}}{h_{. J}}\right)}}
$$




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$$
\left.\begin{array}{l}
M_{u} \leqslant \phi_{b} M_{n} \\
M_{n}=M_{p}=z f_{y}
\end{array}\right\} \Rightarrow M_{n} \leqslant \phi_{b} f_{y} z \quad, \phi_{b} \cdot .9
$$


if $\lambda<\lambda_{\rho} \rightarrow 0$ ค号

if $\lambda>\lambda_{r} \rightarrow$ inclut

$$
\begin{aligned}
& \text {. } r_{0} \leqslant k_{c}=\frac{k}{\sqrt{\frac{h}{\tau \sim}}} \leqslant \cdot, v y \\
& \text { : }
\end{aligned}
$$




$$
\begin{aligned}
& \frac{s_{n c}}{s_{n c}} \geqslant \cdot v \rightarrow F_{L}=v F_{y} \\
& \frac{s_{n t}}{s_{x c}}<, v \rightarrow F_{L}=\frac{s_{x t}}{s_{n c}} F_{y}
\end{aligned}
$$

基心，




| منالهاى نعونه | حداكثر نسبت بهتا به ضـامت |  | نسبت <br> بر بـا بـ <br> ضخامت | *رع احزا | حالت |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 24, (1) |  |  |  |
|  $=\frac{b}{b-\frac{1}{7} t}$ | $1 / \cdot \sqrt{\frac{E}{F_{y}}}$ | $\cdot / r \wedge \sqrt{\frac{E}{r_{y}}}$ | b/t | بانزهاى دفالى I شكل نورد <br>  <br> 4, | 1. |
|  | $\cdot /: \Delta \sqrt{\frac{k_{C R}}{\gamma_{L}}}$ | $\cdot / r A \sqrt{\frac{E}{r_{y}}}$ | b/t | با بالّ <br>  <br> " <br>  <br> تغالز | 11 |
| $\cdots \frac{b}{r^{-m \times 1}, t}$ | $\cdot / a 1 \sqrt{\frac{F}{P_{y}}}$ | $\cdot / \Delta r \sqrt{\frac{E}{r_{y}}}$ | b/t | سـالّهاى نبشیماي نك | ir |
| $-\frac{1}{1}$ | $1 / \cdot \sqrt{\frac{F}{r_{y}}}$ | $\cdot / r \lambda \sqrt{\frac{E}{r_{y}}}$ | b/t | كلrar مثالم 1 شكـل , الر خـش حورل مهور מـبـن | ir |
| $\underline{t=5}$ | $1 / \cdot r \sqrt{\frac{E}{r_{y}}}$ | $\cdot / A * \sqrt{\frac{E}{v_{y}}}$ | d/t | (جبن <br>  | If |



| هنال |  |  | تسست <br>  <br> رمعالمت |  | حات |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  | $\Delta / \mathrm{v} \cdot \sqrt{\frac{\nu}{t_{y}}}$ | $r / V g \sqrt{\frac{E}{r_{y}}}$ | $\mathrm{l} / \mathrm{t}_{\text {w }}$ | I' تـكل با دو محور نـارذ وهال <br>  | 10 |
| collan | $\Delta / \mathrm{y} \cdot \sqrt{\frac{E}{r_{y}}}$ | [d] $\frac{\frac{h_{c}}{h_{p}} \sqrt{\frac{E}{F_{y}}}}{\left(\cdot /+\frac{+1}{A_{p}} M_{y}-/ \cdot:\right)^{\top}} \leq \lambda_{r}$ | $h_{\text {d }} / t_{w}$ | جان <br>  نغارن | 19 |
|  | $1 / 7 \cdot \sqrt{\frac{\hbar}{F_{y}}}$ | $1 / 1 r \sqrt{\frac{E}{F_{y}}}$ | $\mathrm{b} / \mathrm{t}$ |  (HSS) (her <br>  بكتواتحت | ir |
|  | $1 / ז \cdot \sqrt{\frac{E}{F_{y}}}$ | $1 / i r \sqrt{\frac{E}{r_{y}}}$ | $\mathrm{b} / \mathrm{t}$ | و ر) در حد فاهل خـلوط حونّ با cr | 14 |
|  | $\Delta / \mathrm{v} \cdot \sqrt{\frac{E}{r_{y}}}$ | $r / \mathrm{Fr} \sqrt{\frac{E}{F_{y}}}$ | $\mathrm{h} / \mathrm{t}$ | جانهـاي مناطلع <br> تؤكا <br> , (HISS) : جعبها | 19 |
|  | $\cdot / \cdot \mathrm{Y} \frac{E}{P_{y}}$ | $\cdot / r i \frac{E}{r_{y}}$ | D/t | . داريهاي نكل | $r$. |



| حالت حدى | لاغرى جان | لاغرى بال | مinc | بـد |
| :---: | :---: | :---: | :---: | :---: |
| Y, ITB | C | C | $1 \cdot$ | r-a-r-1. |
| LTB, FLB | C | NC | T | $r-\Delta-r-1$. |
| Y, L7B, F1.13, TFY | C, NC | C., NC: | I | F-d-r-1. |
| Y, ITB, ALAB, TEY | S | C. NC: | T-I | $\triangle \Delta-r 1$. |
| Y, FL.B | N/A | C, NC | $\stackrel{\text { Hund }}{ }$ | S-0.r-1. |
| Y, FI.B, WL.B | C, NC | C, NC | $\square$ | v-a-r-1. |
| Y. L.B | N/A | N/A | $\bigcirc$ | A-a-r-1. |
| Y, LTB, FLB | N/A | c. NC | TT | 9-c-r-1. |
| Y. L.TB, LL.B | N/A | N/A | L | $1 \cdot \Delta-r-1$. |
| Y, LTB | N/A | N/A | - | \\|1-s-r-1. |
| كلبة حالتهاى حدى | N/A | N/A | . | Ir-s-r-1. |
| - $Y$ <br> LTB <br> ك FLB <br> WLB <br> JFY • TFY <br> ك ~ LLB <br> LB |  |  |  |  |




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m_{n}=m_{p}, F_{y} z_{n}
$$

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$x, 0$, 0 =
: (LTB) (ب)
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$: L_{p} \leqslant L_{b} \leqslant L_{r} v^{\prime}$. ${ }_{(r}$

$$
M_{n}=c_{b}\left[M_{p}-\left(M_{p}-, v F_{y} s_{x}\right)\left(\frac{l_{b}-l_{p}}{l_{r}-l_{p}}\right)\right]
$$

$$
M_{n} \cdot F_{c} S_{n} \leqslant M_{p}
$$

$$
: L_{b}>L_{r} s^{\prime},(m
$$









$$
L_{p} . l, r_{r} r_{y} \sqrt{\frac{E}{f_{y}}}
$$


 .


$$
F_{c r}=\frac{c_{b} \pi^{r} t}{\left(\frac{c_{b}}{r_{c s}}\right)^{r}} \sqrt{1+\ldots r_{A} \frac{S_{c}}{s_{s} h}\left(\frac{L_{b}}{r_{c s}}\right)^{r}}
$$

- C


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(LTB) (النا (

: (FLB) (ب) (

$$
M_{n}=\left[\mu_{p}-\left(\mu_{p}-, v F_{y} s_{n}\right)\left(\frac{\lambda-\lambda_{p_{f}}}{\lambda_{r_{f}}-\lambda_{p f}}\right)\right]
$$

$\frac{b_{f}}{r t_{f}} \varphi$ بر بر ,
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$$
M_{n}=M_{p}=F_{y} z_{y} \leqslant 1,4 F_{y} S_{y}
$$

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$$
\left\{\begin{array}{l}
\frac{P_{u}}{\phi_{c} P_{n}} \geqslant ; r \rightarrow \frac{P_{u}}{\phi_{c} P_{n}}+\frac{\Lambda}{q}\left(\frac{M_{u x}}{\phi_{b} M_{n x}}+\frac{M_{n y}}{\phi_{b} M_{n y}}\right) \leqslant 1, \phi_{c}=., q \\
\frac{P_{u}}{\phi_{c} P_{n}}<, r r \frac{P_{u}}{r \phi_{c} P_{n}}+\left(\frac{M_{n x}}{\phi_{b} M_{n x}}+\frac{M_{n y}}{\phi_{b} M_{n y}}\right) \leqslant 1, \phi_{c}=., q
\end{array}\right.
$$

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\begin{aligned}
& B_{1}=\frac{c_{m}}{1-\frac{P_{u}}{P_{e 1}}}<1 \\
& c_{m}=, 4-, k\left(\frac{M_{1}}{M_{r}}\right)>, k
\end{aligned}
$$

: B, s s-mba (11rs
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$$
\begin{aligned}
& P_{e_{1}}=\frac{\pi^{r} E I}{L^{r}} \\
& P_{r}=\frac{1}{1-\frac{\Sigma P_{u}}{\sum P_{e r}}}
\end{aligned}
$$

$$
\text { : Br } \mathrm{B}_{\mathrm{K}}
$$

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$\tau P_{n}: 0, \dot{L}$ ab chis

$\Sigma P_{e_{\gamma}}$ :
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信 : Mnt

: $P_{n}$
$2 \frac{20 r u x i}{3}$

$$
\begin{aligned}
& P_{u}=P_{n t}+P_{r} P_{L t} \\
& M_{u}=B_{1} M_{n t}+B_{r} M_{l t} \Rightarrow\left\{\begin{array}{l}
M_{u}=B_{1} M_{n t} t_{\text {top }}+B_{r} M_{t_{t_{t o p}}} \\
M_{u}=B_{1} M_{n t} \text { bot }+B_{r} M_{n t} \text { bot }
\end{array}\right.
\end{aligned}
$$

